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ADVANCE DIGITAL IMAGE COMPRESSION USING FAST WAVELET TRANSFORMS COMPARATIVE ANALYSIS WITH DWT

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ABSTRACT
Image compression means reducing the size of graphics file, without compromising on its quality. Data compression is defined as the process of encoding data using a representation that reduces the overall size of data. This reduction is possible when the original dataset contains some type of redundancy. Digital image compression is a field that studies methods for reducing the total number of bits required to represent an image. This can be achieved by eliminating various types of redundancy that exist in the pixel values. The objective of this paper is to evaluate a set of wavelets for image compression. Image compression using wavelet transforms results in an improved compression ratio. Here in this paper we examined and compared Discrete Wavelet Transform Using wavelet families such as Haar,sym4, and Biorthogonal with Fast wavelet transform. In DWT wavelets are discretely sampled. The Discrete Wavelet Transform analyzes the signal at different frequency bands with different resolutions by decomposing the signal into an approximation and detail information. The study compares DWT and Advanced FWT approach in terms of PSNR, Compression Ratios and elapsed time for different Images. Complete analysis is performed at first, second and third level of decomposition using Haar Wavelet, Symlet and Biorthogonal wavelet. The implementation of the proposed algorithm based on Wavelet Transform. The implementation is done under the Image Processing Toolbox in the MATLAB.

KEYWORDS: Discrete Wavelet Transform, Fast Wavelet Transform, Approximation and Detail Coefficients, Haar, biorthogonal, Sym4.

INTRODUCTION
Image compression is the application of size and data compression on digital images. The objective of image compression is to reduce redundancy of the image data in order to be able to store or transmit data in an efficient form. Image compression may be lossy or lossless. Lossless compression is sometimes preferred for artificial images such as technical drawings, icons or comics. This is because lossy compression methods, especially when used at low bit rates, introduce compression artifacts. Lossless compression methods may also be preferred for high value content, such as medical imagery or image scans made for archival purposes. Lossy methods are especially suitable for natural images such as photos in applications where minor loss of fidelity is acceptable to achieve a substantial reduction in bit rate. The lossy compression that produces imperceptible differences can be called visually lossless. Run-length encoding and entropy encoding are the methods for lossless image compression. Transform coding, where a Fourier-related transform such as DCT or the wavelet transform are applied, followed by quantization and entropy coding can be cited as a method for lossy image compression. It shows that encoder and decoder consist of two relatively independent functions or sub blocks. The encoder is made up of source encoder, which removes input redundancies, and a channel encoder, which increases the noise immunity of the source encoder's output. Similarly, the decoder includes a channel decoder followed by a source decoder. If the channel between the encoder and decoder is noise free, the channel encoder and decoder are omitted, and the general encoder and decoder is noise free, the channel encoder and decoder are omitted, and the general encoder and decoder become the source encoder and decoder, respectively. The discrete wavelet transform (DWT) refers to wavelet transforms for which the wavelets are discretely sampled. A transform which localizes a function both in space and scaling and has some desirable properties compared

to the Fourier transform. The transform is based on a wavelet matrix, which can be computed more quickly than the analogous Fourier matrix. Most notably, the discrete wavelet transform is used for signal coding, where the properties of the transform are exploited to represent a discrete signal in a more redundant form, often as a preconditioning for data compression. The discrete wavelet transform (DWT) is a mathematical tool that has aroused great interest in the field of image processing due to its nice features. Some of these characteristics are:

1) It allows image multi resolution representation in a natural way because more wavelet sub-bands are used to progressively enlarge the low frequency sub-bands;
2) It supports wavelet coefficients analysis in both space and frequency domains, thus the interpretation of the coefficients is not constrained to its frequency behavior and we can perform better analysis for image vision and segmentation; and
3) For natural images, the DWT achieves high compactness of energy in the lower frequency sub-bands, which is extremely useful in applications such as image compression. The objective of image compression is to reduce redundancy of the image data in order to be able to store or transmit data in an efficient form. Image compression can be lossy or lossless. Lossless compression is sometimes preferred for artificial images such as technical drawings, icons or comics. This is because lossy compression methods, especially when used at low bit rates, introduce compression artifacts. Lossless compression methods may also be preferred for high value content, such as medical imagery or image scans made for archival purposes. Lossy methods are especially suitable for natural images such as photos in applications where minor loss of fidelity is acceptable to achieve a substantial reduction in bit rate. The JPEG 2000 standard proposes a wavelet transform stage since it offers better rate/distortion (R/D) performance than the traditional discrete cosine transform (DCT). Unfortunately, despite the benefits that the wavelet transform entails, some other problems are introduced. Wavelet-based image processing systems are typically implemented by memory intensive algorithms with higher execution time than other transforms. In the usual DWT implementation, the image decomposition is computed by means of a convolution filtering process and so its complexity rises as the filter length increases. Other fast wavelet transform algorithms have been proposed in order to reduce both memory requirements and complexity, like line-based and block-based wavelet transforms an approach that performs wavelet transformation at image line or block level.

SandeepKaur&Gaganpreetkaur in 2013 propose Comparative Analysis of Various Digital Image Compression Techniques Using Wavelets. Image compression is the application of Data compression on digital images. Data compression is the technique to reduce the redundancies in data representation in order to decrease data storage requirements and hence communication costs. Reducing the storage requirement is equivalent to increasing the capacity of the storage medium and hence communication bandwidth. Thus the development of efficient compression techniques will continue to be a design challenge for future communication systems and advanced multimedia applications.

S. R. Manavalan&AkilaPradeep, in 2013, proposed Image Compression Using Radon Transform with DCT: Performance Analysis. Image compression is the significant research area in the field of image processing. The Transform selection in image compression has played a vital role since the size of the resultant compressed image should be reduced in comparison with the original image. Numerous image compression standards based on Wavelet Transform have been devoted in the literature but still there exist scope of yielding better compression with high quality in image reconstruction. Existing image compression technique using DWT with Biorthogonal filtering accommodates less compression ratio with poor image quality of reconstructed image. With that concern, image compression using Radon Transform with DCT (Discrete Cosine Transform) is proposed in this paper that contribute different dimension to the image compression.

PROPOSED TECHNIQUE

This section illustrates the overall technique of our proposed image compression. In this paper we propose "Image Compression Using Fast Wavelet Transforms Comparative Analysis with DWT". In this paper we selects Color image to stimulate for decomposition and reconstruction, and comparisons. To perform image compression using An Advanced Fast Wavelet Transform to overcome the problems of processing times, Color image compression that occur in DWT technique. Use of Symlets, Biorthogonal and Haar wavelets for DWT and FWT implementation on image compression to measure the picture quality subjectively using PSNR and objectively using Compression Ratio.

This compression is done in accordance to three wavelet families, Haar,sym4,Symlets and Biorthogonal wavelet and results of image compression, PSNR and Compression ratio is to be compared at different levels of decomposition using different images. FWT and DWT technique is used for obtain the desired results. Different wavelets are used at 1st, 2nd and 3rd level of decomposition and comparative analysis of Haarand Biorthogonal family is displayed. Quantitative analysis has been presented by measuring the values of attained Peak Signal to Noise Ratio and Compression Ratio at 1st, 2nd and 3rd decomposition levels. The intermediate image decomposition windows from various low pass and high pass filters. Qualitative analysis has been performed by obtaining the compressed version of the input image by FWT and DWT Techniques and comparing it with the test images. In our results Color image compression is more than DWT compression Technique and compression ratio is increase with FWT. In the last decade, there has been a lot of technological transformation in the way we communicate. This transformation includes the ever present, ever growing internet, the explosive development in mobile communication and ever increasing importance of video communication. Despite rapid progress in mass-storage density, processor speeds, and digital communication system performance, demand for data storage capacity and data-transmission bandwidth continues to outstrip the capabilities of available technologies. Image Compression is an important component of the solutions available for creating image file sizes of manageable and transmittable dimensions. Platform portability and performance are important in the selection of the compression/decompression technique to be employed.Images have considerably higher storage requirement than text; Audio and Video Data require more demanding properties for data storage. An image stored in an uncompressed file format, such as the popular BMP format, can be huge. An image with a pixel resolution of 640 by 480 pixels and 24-bit colour resolution will take up 640 * 480 * 24/8 = 921,600 bytes in an uncompressed format. The huge amount of storage space is not only the consideration but also the data transmission rates for communication of continuous media are also significantly large. An image, 1024 pixel x 1024 pixel x 24 bit, without compression, would require 3 MB of storage and 7 minutes for transmission, utilizing a high speed, 64 Kbits /s, ISDN line. Image data compression becomes still more important because of the fact that the transfer of uncompressed graphical data requires far more bandwidth and data transfer rate. For example, throughput in a multimedia system can be as high as 140 Mbits/s, which must be transferred between systems. This kind of data transfer rate is not realizable with today’s technology, or in near the future with reasonably priced hardware.

Discrete Wavelet Transform

The discrete wavelet transform (DWT) refers to wavelet transforms for which the wavelets are discretely sampled. A transform which localizes a function both in space and scaling and has some desirable properties compared to the Fourier transform. The transform is based on a wavelet matrix, which can be computed more quickly than the analogous Fourier matrix. Most notably, the discrete wavelet transform is used for signal coding, where the properties of the transform are exploited to represent a discrete signal in a more redundant form, often as a preconditioning for data compression. The discrete wavelet transform has a huge number of applications in Science, Engineering, Mathematics and Computer Science. Wavelet compression is a form of data compression well suited for image compression (sometimes also video compression and audio compression). The goal is to store image data in as little space as possible in a file. A certain loss of quality is accepted (lossy compression). Using a wavelet transform, the wavelet compression methods are better at representing transients, such as percussion sounds in audio, or high-frequency components in two-dimensional images, for example an image of stars on a night sky. This means that the transient elements of a data.

Fast Wavelet Transform:

The Fast Wavelet Transform is a mathematical algorithm designed to turn a waveform or signal in the time domain into a sequence of coefficients based on an orthogonal basis of small finite waves, or wavelets. The transform can be easily extended to multidimensional signals, such as images, where the time domain is replaced with the space domain. It has as theoretical foundation the device of a finitely generated, orthogonal Multiresolution analysis (MRA). In the terms given there, one selects a sampling scale J with sampling rate of 2J per unit interval, and projects the given signal f onto the space

V_J; in theory by computing the scalar products

$$s_n^{(J)} := 2^J \langle f(t), \phi(2^J t - n) \rangle,$$

Where ϕ is the scaling function of the chosen wavelet transform; in practice by any suitable sampling procedure under the condition that the signal is highly oversampled, so

$$P_J[f](x) := \sum_{n\in\mathbb{Z}} s_n^{(J)}\,\phi(2^J x - n)$$

is the orthogonal projection or at least some good approximation of the original signal in V_J.

The MRA is characterized by its scaling sequence

$$a = (a_{-N}, \ldots, a_0, \ldots, a_N)$$

or,

as Z-transform, $$a(z) = \sum_{n=-N}^{N} a_n z^{-n}$$

and its wavelet sequence

$$b = (b_{-N}, \ldots, b_0, \ldots, b_N)$$

Or $$b(z) = \sum_{n=-N}^{N} b_n z^{-n}$$

(Some coefficients might be zero). Those allow to compute the wavelet coefficients $d_n^{(k)}$, at least some range k=M,...,J-1, without having to approximate the integrals in the corresponding scalar products. Instead, one can directly, with the help of convolution and decimation operators, compute those coefficients from the first approximation $s^{(J)}$

Performance Parameters

Input image is to be compressed to a certain level using DWT / FWT based lifting and quantization scheme explained above by maintaining a good signal to noise ratio. Quantitative analyses have been presented by measuring the values of attained Peak Signal to Noise Ratio and Compression Ratio at different decomposition levels. The intermediate image decomposition windows from various low pass and high pass filters.

PSNR:

Peak Signal to Noise ratio used to be a measure of image quality. The PSNR between two images having 8 bits per pixel or sample in terms of decibels (dBs) is given by:
PSNR = 10 log10xmean square error (MSE)

Compression Ratio:

Ratio of the size of compressed image to the input image is often called as compression ratio. There are two types of image compression present:

Lossless Image Compression

A loss of information is, however, totally avoided in lossless compression, where image data are reduced while image information is totally preserved. It uses the predictive encoding which uses the gray level of each pixel to predict the gray value of its right neighbor. Only the small deviation from this prediction is stored. This is a first step of lossless data reduction. Its effect is to change the statistics of the image signal drastically. Statistical encoding is another important approach to lossless data reduction. Statistical encoding can be especially successful if the gray level statistics of the images has already been changed by predictive coding. The overall result is redundancy reduction that is reduction of the reiteration of the same bit patterns in the data. Of course, when reading the reduced image data, these processes can be performed in reverse order without any error and thus the original image is recovered. Lossless compression is therefore also called reversible compression. When hearing that image data are reduced, one could expect that automatically also the image quality will be reduced. A loss of information is, however, totally avoided in lossless compression, where image data are reduced while image information is totally preserved.

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Lossy Image Compresson

Lossy data compression has of course a strong negative connotation and sometimes it is doubted quite emotionally that it is at all applicable in medical imaging. In transform encoding one performs for each image run a mathematical transformation that is similar to the Fourier transform thus separating image information on gradual spatial variation of brightness (regions of essentially constant brightness) from information with faster variation of brightness at edges of the image (compare: the grouping by the editor of news according to the classes of contents). In the next step, the information on slower changes is transmitted essentially lossless (compare: careful reading of highly relevant pages in the newspaper), but information on faster local changes is communicated with lower accuracy (compare: looking only at the large headings on the less relevant pages). In image data reduction, this second step is called quantization. Since this quantization step cannot be reversed when decompressing the data, the overall compression is 'lossy' or 'irreversible'.

EVALUATION AND RESULTS

To verify the effectiveness (qualities and robustness) of the proposed Image Compression Using Wavelet Transform, we conduct several experiments with this procedure on several images. There are some steps of our proposed technique are given below:

Phase 1: Firstly we develop the proper GUI for our implementation work, after that we develop a code for load image.

Phase 2: Develop a code for the FWT and apply it.

Phase 3: Develop a code for the applying the DWT for loaded image.

Phase 4: Now we develop the code for the parameters calculation and we can see the results of our proposed method in the graph.

Flow Chart of proposed method

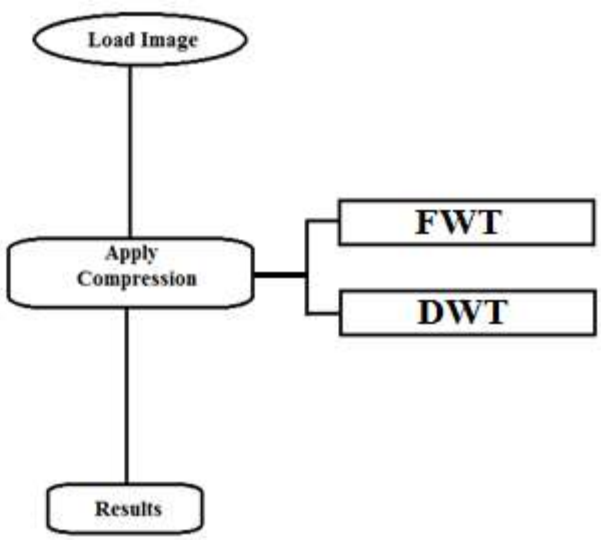

Figure: 1. Flow chart of proposed method

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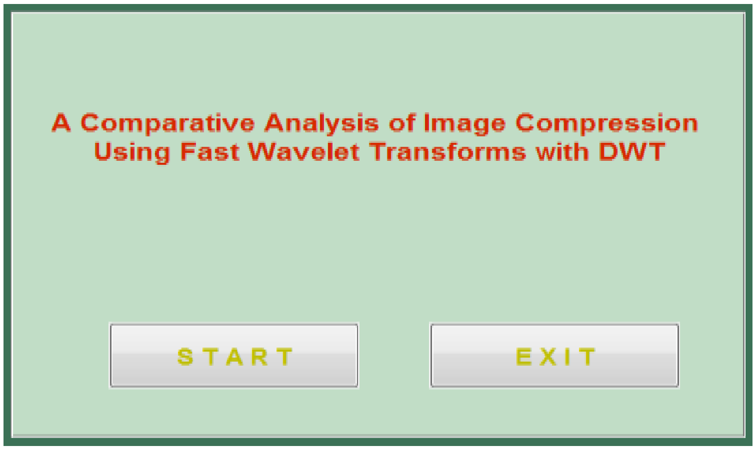

Fig.1. Main Figure Window

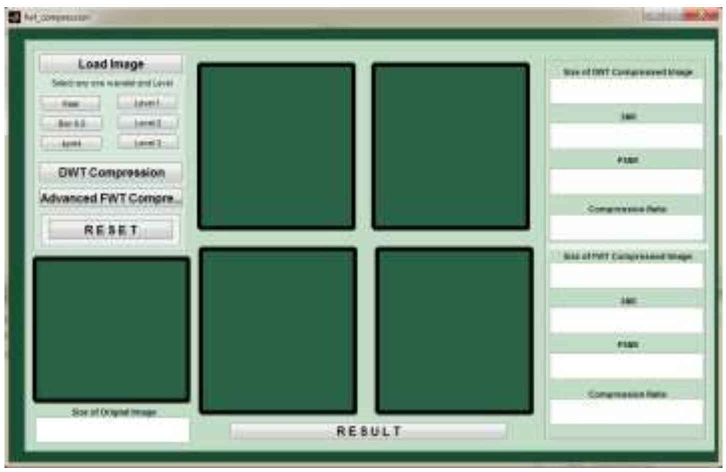

Fig.2. Work Figure Window

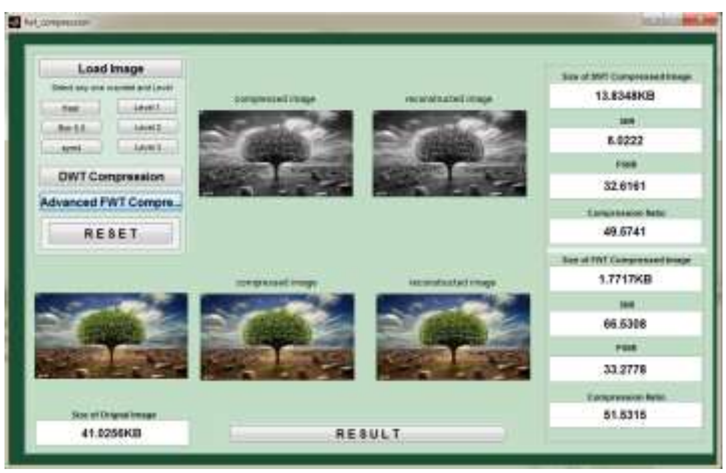

Fig.3. Running Figure Window

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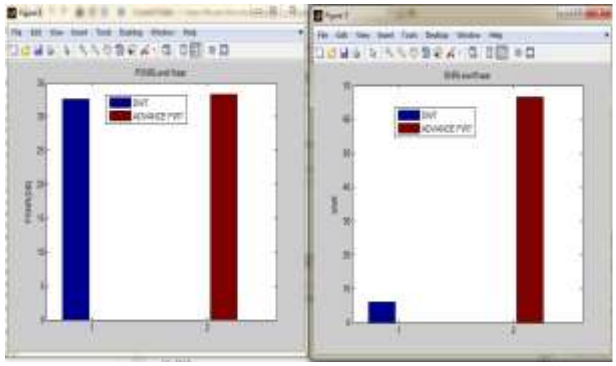

Fig.4. psnr and snr by level 1,haar wavelet

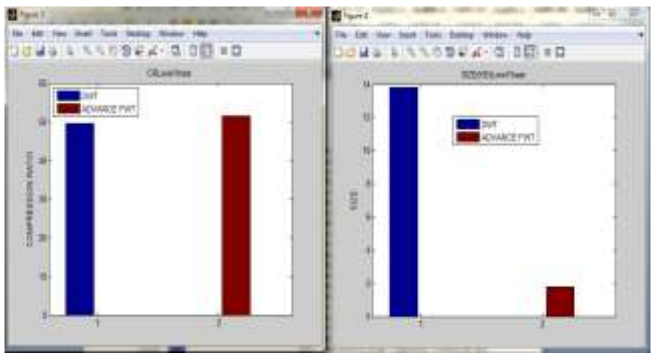

Fig.5. Fig.4.CR and size by level 1,haar wavelet

Image/Size 7.jpg/41.0256KB		PSNR	SNR	SIZE OF IMAGE	CR
Haar/Level1	DWT	32.6161	6.0222	13.8348KB	49.5741
	FWT	33.2778	66.5308	1.7717KB	51.5315
Bior6.8 /Level1	DWT	32.6693	5.9186	14.9127KB	49.3422
	FWT	56.5685	89.9957	1.7716KB	51.1351
Sym4 /Level1	DWT	32.6221	5.9956	14.3534KB	49.4471
	FWT	52.751	76.0907	1.7728KB	51.136
Haar/Level2	DWT	42.1527	2.5002	2.7064KB	50.8455
	FWT	15.6476	66.5308	1.7574KB	84.5396
Bior6.8/Level2	DWT	42.0569	2.4308	3.3195KB	50.1022
	FWT	25.0099	44.1181	1.7709KB	84.0064
Sym4/Level2	DWT	42.1115	2.4692	3.0198KB	50.3915
	FWT	24.2392	53.6818	1.7717KB	84.3025
Haar/Level3	DWT	49.4838	1.162	0.36182KB	55.9312
	FWT	3.0812	66.5308	1.7012KB	95.6097
Bior6.8/Level3	DWT	49.1479	1.1272	0.52295KB	53.8343
	FWT	7.6497	25.5386	1.7649KB	95.0713
Sym4/Level3	DWT	49.3268	1.1424	0.45557KB	54.2942
	FWT	7.0649	32.0074	1.7614KB	95.3726

Table 1:Result of DWT and FWT compression

CONCLUSION & FUTURE WORK

In this paper we propose "Image Compression Using Fast Wavelet Transforms Comparative Analysis with DWT". FWT based image compression has been performed to get the desired results of the proposed work. Image Compression is performed in the MATLAB software using wavelet toolbox. DWT and FWT based compression techniques have been implemented using lifting scheme and their results have been displayed in terms of qualitative analysis using image visual quality of input image, compressed image and reconstructed image and Quantitative analysis have been performed in terms of PSNR, compression ratio and Elapsed time for both DWT and FWT at second level and third level of decomposition using HaarWaveletsandBiorthogonal wavelets. To perform image compression using Fast Wavelet Transform technique to overcome the problems of border distortions and large processing times that occur in DWT technique. In our proposed technique compression while maintaining the image quality is must for digital data, image or video file transfer in fast way and lesser amount of time. Peak Signal to Noise ratio used to be a measure of image quality. It is the main factor of our implementation. A new algorithm for image compression using Fast Wavelet Transform has been proposed as FWT reduces the problems of border distortions in Image Compression. It reduces the data storage requirements. The wavelet transform achieves better energy compaction than the DCT and hence can help in providing better compression for the same Peak Signal to Noise Ratio (PSNR).

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